

## Fundamental Counting Principle Notes

**Fundamental Counting Principle:** If event M can occur in m ways and is followed by event N that can occur in n ways, then event N can occur in  $m \cdot n$  ways.

\* the total number of ways to make successive choices

- A) Long ago Ford made 3 styles of cars, 2 types of motors, 8 different colors, and 10 different interiors. How many different cars were available?

$$3 \times 2 \times 8 \times 10 = 480$$

- B) The following letters are given {A, B, C, D, E}:

- a. How many 5-letter code words can be made if repetition is allowed?

$$5 \times 5 \times 5 \times 5 \times 5 = 3125$$

- b. How many 5-letter code words can be made if repetition is not allowed?

$$5 \times 4 \times 3 \times 2 \times 1 = 120$$

- C) The following letters are given {A, B, C, D, E}:

- a. How many 3-letter code words can be made if repetition is allowed?

$$5 \times 5 \times 5 = 125$$

- b. How many 3-letter code words can be made if repetition is not allowed?

$$5 \times 4 \times 3 = 60$$

- D) Four people are standing in a line. How many arrangements can be made?

$$4 \times 3 \times 2 \times 1 = 24$$

- E) Eight people would like to have 4 seats at a UK game. How many ways can the people be seated if only 4 people can have a ticket?

$$8 \times 7 \times 6 \times 5 = 1680$$

- F) School lockers have 60 digits to choose from for a 3 digit combination. How many 3 digit combinations are possible?

$$60 \times 60 \times 60 = 216,000$$

- G) Taking a trip from Acron to Dayville requires passing through Belfree and Campton. If there are 2 roads from Acron to Belfree, 3 roads from Belfree to Campton, and 10 roads from Campton to Dayville, how many routes are possible?

$$2 \times 3 \times 10 = 60$$

H) A computer password has 4 letters:

a. How many passwords are possible if repetition is allowed?

$$26 \times 26 \times 26 \times 26 = 456,976$$

b. How many passwords are possible if repetition is not allowed?

$$26 \times 25 \times 24 \times 23 = 358,800$$

I) There are 30 different classes that can be taken during the 4 blocks of a school day. How many different student schedules are possible?

\* same class can't be taken twice

$$30 \times 29 \times 28 \times 27 = 657,720$$

J) A restaurant menu has combo meals that give you the choice of sandwich: a hotdog or a hamburger, choice of side: chips, fries or onion rings, choice of drink: soda, juice, or tea and choice of dessert: cookie, pie, cake or ice cream. How many possible combo meals could there be?

$$2 \times 3 \times 3 \times 4 = 72$$

K) How many 3 digit positive numbers are there? First #: 1-9 possible

$$9 \times 10 \times 10 = 900$$

L) How many 3 digit positive even numbers are there?

$$9 \times 10 \times 5 = 450$$

2<sup>nd</sup> #: 0-9  
3<sup>rd</sup> #: 0-9  
same as above, but last number can only be 0, 2, 4, 6, 8

M) The letters O, Q, and I are not used on license plates.

a. For car plates in Kentucky there are 3 numbers followed by 3 letters. How many car plates are possible?

$$10 \times 10 \times 10 \times 26 \times 26 \times 26 = 12,167,000$$

b. Suppose no repeat letters or numbers could be used on car plates. How many car plates would be possible then?

$$10 \times 9 \times 8 \times 26 \times 25 \times 24 = 7,650,720$$

c. For truck plates in Kentucky there are 4 numbers followed by 2 letters. How many truck plates are possible?

$$10 \times 10 \times 10 \times 10 \times 26 \times 26 = 5,290,000$$

N) How many phone numbers (not including the area code) can be used if 1 and 0 can not be the first number in the area code or the prefix number?

$$8 \times 10 \times 10 \times 10 \times 10 \times 10 \times 10 = 8,000,000$$

a. How many numbers are possible using the area code if 0 and 1 still can not be the first number in the area code or the prefix number?

$$8 \times 10 \times 10 \times 8 \times 10 \times 10 \times 10 \times 10 \times 10 \times 10 = 6,400,000,000$$

O) A TV station has 4 call letters and W must be the first letter. How many possible call letter arrangements are there?

$$1 \times 26 \times 26 \times 26 = 17,576$$